

1.1 Multiple Representations

Notes

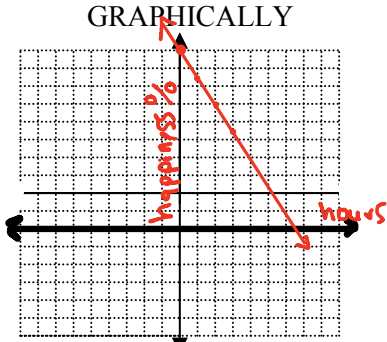
APPLICATION

1. **VERBALLY** (time 0)
 Before spending any time on social media, a person is 100% happy. A person loses 15% happiness every hour per week spent on social media.

ALGEBRAICALLY
 $m = \frac{\Delta y}{\Delta x} = \frac{(70) - (100)}{(2) - (0)} = \frac{-30}{-2} = 15$
 $y - y_1 = m(x - x_1)$
 $y - (70) = -15(x - (2))$
 $y - 70 = -15x + 30$
 $y = -15x + 100$

NUMERICALLY

time spent on social media per week (hours)	Amount of happiness as a percent
2	70
4	40
6	10



2. If $g(x) = -x^2 + (-x)^2$ then find...

a. $g(-2) = -(-2)^2 + (-(-2))^2$
 $= -4 + (2)^2$
 $= -4 + 4$
 $g(-2) = 0$

3. From 2000 to 2015, the amount of ear hair, in millions of hairs, sold domestically can be modeled by $E(t) = -5t^3 + 70t^2 - 10t + 1005$ where t is the number of years since 2005.

a. Graph with a friendly window. Record the window here →

b. What does $E(5)$ mean? Find it!

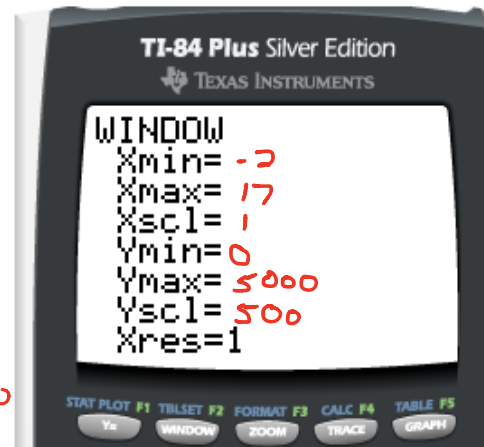
In 2005, how many dollars worth of ear hair is sold?
 \$ 2,080 million

c. Approximate the maximum sales.

The maximum sales are about \$ 2944.682 million or \$ 2,944,682,000

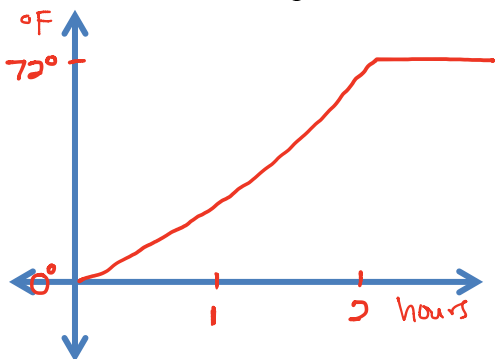
d. What does the y-intercept mean?

The amount of ear hair sold in millions of dollars in 2000.

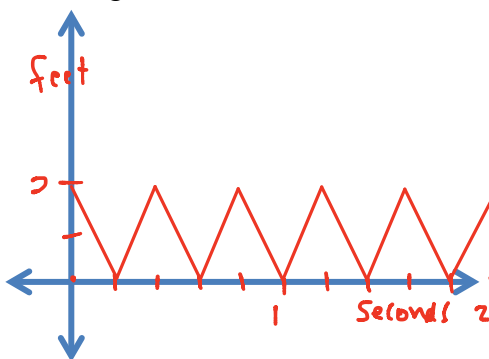


4. Sketch a graph for each the verbal situation given below. Make sure to label the axis of your graph!

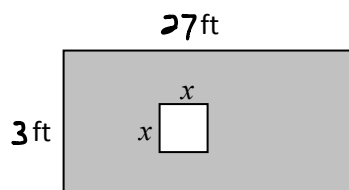
a. You get a large cup of ice from your ice box. Graph the temperature of the cup in the cup vs. time.



b. While at a park, you go on a dribbling rampage. Graph the ball's height above ground vs. time.



Bob the builder wants to paint a wall (shaded region below). Unfortunately, he does not know how big his square window is going to be. Help a builder out.



5. Explain why the function $A(x) = 81 - x^2$ represents the shaded area in the figure above.

The area of the paint wall is $l \cdot w$, or $27(3) = 81$ ft.
 Then if you subtract the area of the window, $x \cdot x = x^2$, you'll
 find area of shaded = $A_{\text{wall}} - A_{\text{D}} = 81 - x^2$

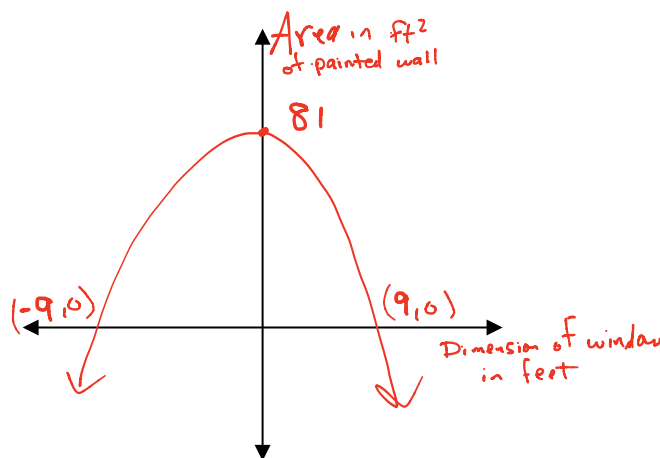
6. Draw a rough sketch of the graph.

7. What does the x -axis represent?

Dimension of window in ft

8. What does the y -axis represent?

Area of painted wall in ft².



9. If the square has sides of 5 ft, what is the area of the shaded region?

$$\begin{aligned} A(5) &= 81 - (5)^2 \\ &= 81 - 25 \\ A(5) &= 56 \text{ ft}^2 \end{aligned}$$

10. If the area of the shaded region is 21, what are the lengths of the sides of the square?

$$\begin{aligned} 21 &= 81 - x^2 \\ -60 &= -x^2 \\ 60 &= x^2 \\ \pm\sqrt{60} &= x \end{aligned} \quad \rightarrow \quad x \approx 7.746 \text{ ft}$$

11. What are the x -intercepts?

$$\begin{aligned} 0 &= 81 - x^2 \\ x^2 &= 81 \\ x &= \pm 9 \end{aligned}$$

12. What do the x -intercepts represent in this problem?

The dimensions of the square that would give painted area of zero.

13. Are the x -intercepts possible solutions for this problem? Why/Why not?

The x -int of -9 makes no sense length of the window would be -9 feet.

The x -int of 9 means no sense length of the window would be bigger the wall height.

14. Fill in the table. Describe what happens to $A(x)$ as x becomes infinitely small. \rightarrow

As x gets smaller, the painted area gets closer and closer to 81 ft^2

x	$A(x)$
2	77
1	80
0.5	80.75
0.25	80.9375
0.1	80.99