## Graphs \& Inverses of Trig Functions

## 5 - Parent Graphs of Secant \& Cosecant

## Periodic Function

A function in which for some real number $\alpha$, $f(x+\alpha)=f(x)$ for each $x$ in the domain of $f$.

$$
\begin{aligned}
& y=A \sec [K(\theta-P S)]+V D \\
& y=A \csc [K(\theta-P S)]+V D
\end{aligned}
$$

A
$A=$ the coefficient of the trig function. This determines the vertical stretching and shrinking of a graph. It also determines if the graph is reflected over the midline.

## Amplitude

Amplitude of Sine and Cosine $=|A|=$ half the distance between the minimum and maximum values of the range of a periodic function with a bounded range.

## Vertical Displacement

$\mathrm{VD}=$ the vertical translation

## Midline

The horizontal axis used as the reference line about which the graph of a periodic function oscillates.

## Period

$P=$ the horizontal length of the unique part of the graph.

## Phase Shift

PS = the horizontal translation.

## Domain for trig functions

all the angles that can be put into the function (all the numbers included from left to right).

## Range for trig functions

all the values that come out of the function (all the numbers included from bottom to top).


## Graphs \& Inverses of Trig Functions

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Graph a minimum of one period for each function. Use DEGREES.


A: $\frac{1}{3}$
Amplitude:
Reflected over midline? $N$
Vertical Displacement: 2
Midline: $y=2$
Phase Shift: 0
Period: $360^{\circ}$
\#2) $y=-3 \csc \theta-1$


A: -3
Amplitude:
Reflected over midline? Yes
Vertical Displacement: - 1
Midline: $y=-1$
Phase Shift: $\bigcirc$
Period: $360^{\circ}$

Graph a minimum of one period for each function. Use RADIANS
\#1) $y=-5 \sec \theta$


## A: -5

A Me:
Reflected over midline? Ye
Vertical Displacement: $\bigcirc$
Midline: $\quad y=0$
Phase Shift: $\bigcirc$
Period: $2 \pi$
\#2) $y=\frac{1}{3} \csc \theta+2$


Amplitude:
Reflected over midline? NO
Vertical Displacement: 2
Midline: $y=2$
Phase Shift:
Period: $2 \pi$

